

Module 1

{1} Consider the following sequence:

n	1	2	3	4
$f(n)$	2	10	50	250

{a} Is the sequence above arithmetic or geometric? How do you know?

geometric because each output is multiplied
by a constant to get the next output.
(5)

{b} Create a recursive formula for the sequence.

$$f(n) = f(n-1) \cdot 5, \quad f(1) = 2$$

{c} Create an explicit formula for the sequence.

$$f(n) = \left(\frac{2}{5}\right) \cdot 5^n \quad \text{or} \quad f(n) = 2 \cdot 5^{n-1}$$

or $f(n) = (0.4) \cdot 5^n$

{2} Consider the following sequence:

n	0	1	2	3
$f(n)$	24	16	8	0

{a} Is the sequence above arithmetic or geometric? How do you know?

arithmetic because each output has a constant
value being added to it.
(-8)

{b} Create a recursive formula for the sequence.
or subtracted from

$$f(n) = f(n-1) - 8, \quad f(0) = 24$$

{c} Create an explicit formula for the sequence.

$$f(n) = -8$$

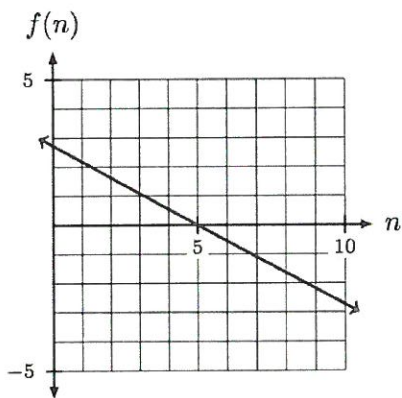
Module 2

For exercises 3-6, decide whether the given function is discrete or continuous, explain your choice. Additionally, decide if the function is linear/arithmetical or exponential/geometric, explain your choice.

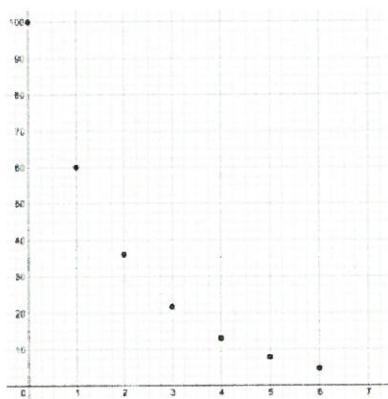
{3} $y = 2x + 5$ continuous, linear (no exponents)

{4} $y = 2\left(\frac{1}{2}\right)^x$ continuous, exponential

{5} continuous, linear



{6} discrete, exponential



{7} Fill in the table for a linear relation. Then, write an equation for the relation.

x	0	1	2	3	4	5
y	-4	3	10	17	24	31

+7 +7 +7 +7 +7

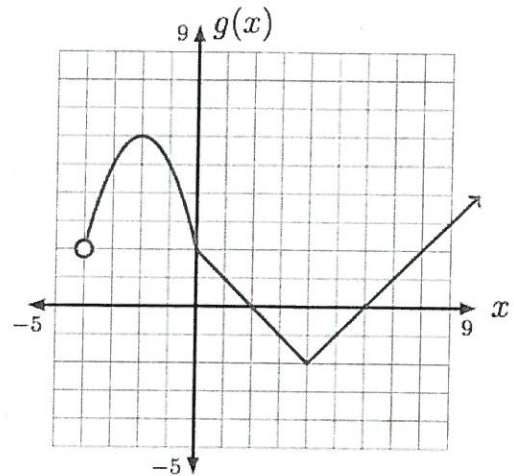
(5, 31)
(1, 3)

$$\frac{31-3}{5-1} = \frac{28}{4} = 7$$

Module 3

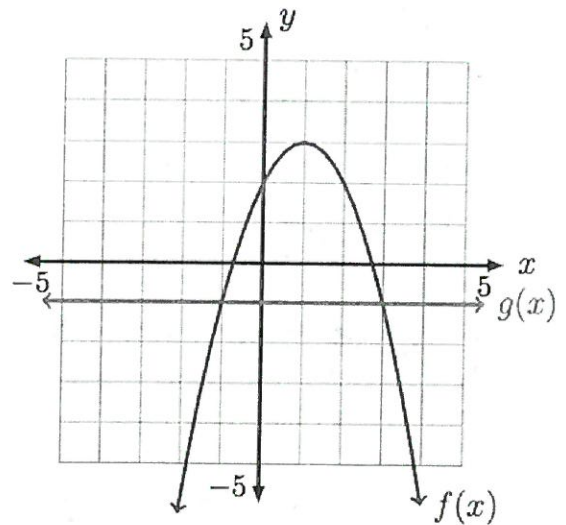
{8} Use the graph below to determine each of the following. Write a-e in interval notation, and f-i in coordinate notation.

- {a} Domain: $(-4, \infty)$ {b} Range: $[-2, \infty)$
- {c} Intervals of increase: $(-4, -2) \cup (4, +\infty)$
- {d} Intervals of decrease: $(-2, 4)$
- {e} Intervals of constant: none
- {f} x-intercept(s): $(2, 0)$ $(6, 0)$ {g} y-intercept(s): $(0, 2)$
- {h} Maximum: relative: $y = 6$ {i} Minimum: relative: $-2 = y$
 absolute: none absolute: $-2 = y$



{9} Use the graph to the right to fill in the following.

- {a} $f(0) = 2$ {b} $g(-2) = -1$
- {c} When $f(x) = -1$, $x = -1, 3$
- {d} At what value(s) of x does $f(x) = g(x)$?
 $-1, 3$
- {e} On what interval is $f(x) > g(x)$?
 $(-1, 3)$



{10} Use $f(x) = 3x + 2$ and $g(x) = -x + 4$ to fill in the following.

- {a} $f(-2) = -6$ {b} $g(4) = 0$ {c} When $f(x) = -4$, $x = 2$
 $-4 = 3x + 2$
 $-6 = 3x$
 $-\frac{6}{3} = x = 2$

{d} Evaluate $f(2) + g(2)$

$$\begin{aligned} &= 3(2) + 2 + (-2) + 4 \\ &= 6 + 2 - 2 + 4 \\ &= 10 \end{aligned}$$

{e} Let $h(x) = f(x) + g(x)$. Write an equation for $h(x)$.

$$\begin{aligned} h(x) &= 3x + 2 - x + 4 \\ h(x) &= 2x + 6 \end{aligned}$$

Module 4

For 11-16, solve each equation. Show your work.

$$\{11\} \frac{2x}{5} = 6$$

$$2x = 30$$
$$\boxed{x = 15}$$

$$\{12\} -16 = -6 - 5x$$

$$-10 = -5x$$
$$\boxed{x = 2}$$

$$\{13\} 4(x - 2) = 20$$

$$4x - 8 = 20$$
$$4x = 28$$
$$\boxed{x = 7}$$

$$\{14\} \frac{1}{3}x + 3 = 9$$

$$\frac{1}{3}x = 6$$
$$\boxed{x = 18}$$

$$\{15\} 4(x - 1) + 3 = 19$$

$$4x - 4 + 3 = 19$$
$$4x - 1 = 19$$
$$4x = 20$$
$$\boxed{x = 5}$$

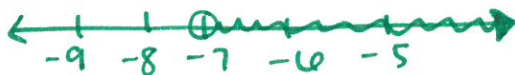
$$\{16\} 3x - 5 = 6x + 7$$

$$-12 = 3x$$
$$\boxed{x = -4}$$

For 17-20, solve each inequality and mark the solution on a number line.

$$\{17\} 5x - 6 < 7x + 8$$

$$-6 < 2x + 8$$
$$-14 < 2x$$
$$\boxed{x > -7}$$



$$\{18\} -3x - 2 \geq 10$$

$$-3x \geq 12$$
$$\boxed{x \leq -4}$$



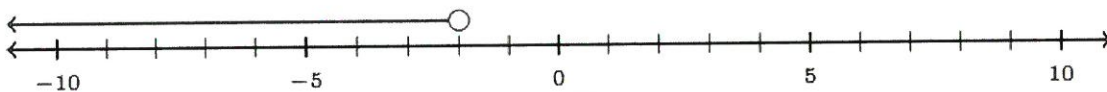
$$\{19\} \text{Solve for } B: 2B + 3C = D$$

$$B = \frac{D - 3C}{2}$$

$$\{20\} \text{Solve for } x: y = mx + b$$

$$\frac{y - b}{m} = x$$

{21} Write an inequality for the graph below:



$$\boxed{x < -2}$$